

## CC 413- Numerical Analysis

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**Hour:** Lecture: 2 Hrs.

Tutorial: 2 Hrs.

Credit: 3.

**Coordinator:** Abdelmonem Wahdan

**Text Book:**

- Steven C. Chapra and Raymond P. Canale, “Numerical Methods for Engineers with Software and Programming Applications”, McGraw Hill, latest edition.

**Specific course information**

- a. Introduction to numerical methods and their applications - solve science and engineering problems – convergence - error analysis of numerical methods.
- b. Prerequisite: CC 112 - BA224
- c. Designation: Required

**Specific goals for the course:**

- An ability to apply knowledge of mathematics, science, and engineering.
- An ability to function on multi-disciplinary teams.
- An ability to identify, formulate, and solve engineering problems.
- An ability to communicate effectively.
- The broad education necessary to understand the impact of engineering solutions in a global and societal context.

**Course instruction outcomes:**

- The students will be able to master the approximation techniques used in numerical solutions that arise in science and engineering problems.
- The students will be able to understand why numerical methods work, what type of errors to expect and when an application might lead to difficulties.

**Student outcomes:**

A, D, E, G, H

**Topics Covered:**

- Solution of equations of one variable: Bisection method, False Position method, and secant method.
- Solution of equations of one variable: Successive Approximation method, and modified Successive Approximation method.
- Solution of equations of one variable: Newton Raphson method and nearly equal roots.
- Solution of equations of one variable: Berge Vieta method (of roots of polynomials).

- Error Analysis and Propagation: Types and sources of errors and ill-conditioning and instability.
- Error Analysis and Propagation: Process graphs, error propagation with examples.
- Solutions of linear equations: (Direct Methods) Gauss elimination and Gauss Jordan methods.
- Solutions of linear equations: (Direct Methods) Gauss Jordan method for Integral matrices.
- Solutions of linear equations: (Indirect Methods) Jacobi, Gauss Siedel, and conditions of convergence.
- Matrix Inversion using direct methods for solution of linear equations. Eigen values.
- Numerical Interpolation (Linear, Quadratic, and Lagrange polynomials).
- Numerical Differentiation and Integration (Mid-point integration).
- Numerical Integration (Trapezoidal, Simpson, and Gaussian integration).
- Linear and Quadratic regression.
- Lagrange regression and revision.

Course / credit hours	Math & Basic Sciences	Engineering Topics	General Education
Numerical Analysis /3		3	